

TI 2021-018/VI  
Tinbergen Institute Discussion Paper

# Disentangling Covid-19, Economic Mobility, and Containment Policy Shocks

*Annika Camehl<sup>1</sup>*

*Malte Rieth<sup>2</sup>*

<sup>1</sup> Department of Econometrics, Erasmus University Rotterdam

<sup>2</sup> DIW Berlin (German Institute for Economic Research)

Tinbergen Institute is the graduate school and research institute in economics of Erasmus University Rotterdam, the University of Amsterdam and Vrije Universiteit Amsterdam.

Contact: [discussionpapers@tinbergen.nl](mailto:discussionpapers@tinbergen.nl)

More TI discussion papers can be downloaded at <https://www.tinbergen.nl>

Tinbergen Institute has two locations:

Tinbergen Institute Amsterdam  
Gustav Mahlerplein 117  
1082 MS Amsterdam  
The Netherlands  
Tel.: +31(0)20 598 4580

Tinbergen Institute Rotterdam  
Burg. Oudlaan 50  
3062 PA Rotterdam  
The Netherlands  
Tel.: +31(0)10 408 8900

# Disentangling Covid-19, Economic Mobility, and Containment Policy Shocks\*

Annika Camehl<sup>†</sup>    Malte Rieth<sup>‡</sup>

February 16, 2021

## Abstract

We study the dynamic impact of Covid-19, economic mobility, and containment policy shocks. We use Bayesian panel structural vector autoregressions with daily data for 44 countries, identified through sign and zero restrictions. Incidence and mobility shocks raise cases and deaths significantly for two months. Restrictive policy shocks lower mobility immediately, cases after one week, and deaths after three weeks. Non-pharmaceutical interventions explain half of the variation in mobility, cases, and deaths worldwide. These flattened the pandemic curve, while deepening the global mobility recession. The policy tradeoff is 1 p.p. less mobility per day for 9% fewer deaths after two months.

*Keywords:* Epidemics, general equilibrium, non-pharmaceutical interventions, structural vector autoregressions, coronavirus, Bayesian analysis, panel data.

*JEL-Codes:* C32, E32, I18.

---

\*We thank Lukas Boer, Martin Bruns, Georg Camehl, Oliver Holtemöller, Alexander Kriwoluzky, Lukas Menkhoff, Gregor von Schweinitz, and participants of the IWH Research Seminar and internal seminars for useful comments and suggestions.

<sup>†</sup>Department of Econometrics, Erasmus University Rotterdam, Burgemeester Oudlaan 50, 3062 PA Rotterdam, The Netherlands, camehl@ese.eur.nl

<sup>‡</sup>DIW Berlin (German Institute for Economic Research), Mohrenstraße 58, 10117, Berlin, Germany, mrieth@diw.de

# 1 Introduction

Covid-19 is the largest risk to human health, lives, and the world economy in modern peacetime history. Researchers and policy makers around the globe are trying to understand the evolution of the pandemic, appropriate policy responses, and the associated tradeoffs. There is a rapidly growing literature on the causes and consequences of the pandemic as well as the effects of containment policies. Many empirical studies focus on selected drivers, consequences, or policies in partial equilibrium and over short-time horizons.<sup>1</sup> The macroeconomic literature, on the other hand, aims at modeling the dynamics of epidemics, health policy, and economic decisions jointly and over longer horizons, but is largely theoretical.<sup>2</sup> In this paper, we analyze the dynamic interactions between the Covid-19 pandemic, economic mobility, and containment policy empirically and in general equilibrium, using Bayesian panel structural vector autoregressions.

Our model comprises three epidemiological variables (cases, deaths, and a containment policy index) and two economic variables (an economic mobility index and local stock prices). We face two main challenges. First, we need sufficiently many observations to identify exogenous variation in each of the variables and to estimate their structural relations reliably at macroeconomically relevant horizons. Therefore, we use daily data collected across 44 countries. The large number of observations (about 10,000) allows for identifying the economic-epidemiological dynamics over several months and the cross-sectional variation provides counterfactual trends. The countries in the sample account for 81% of worldwide infections and deaths due to Covid-19 and for 72% of global GDP.

The second key challenge is identification of the model as epidemics, economic mobility, and containment policy are determined simultaneously. We identify three structural shocks through dynamic sign restrictions: incidence shocks, economic mobility shocks, and containment policy shocks. Our identification scheme avoids potentially debatable exclusion restrictions and gives full voice to the data. The first shock accounts for unexpected changes

---

<sup>1</sup>See, among others, Baker, Bloom, Davis, Kost, Sammon and Viratyosin (2020), Harris (2020), Kraemer et al. (2020), Coven, Gupta and Yao (2020), Gupta, Simon and Wing (2020) or Baek, McCrory, Messer and Mui (2020).

<sup>2</sup>See, among others, Atkeson (2020), Eichenbaum, Rebelo and Trabandt (2020), Glover, Heathcote, Krueger and Ríos-Rull (2020) or Acemoglu, Chernozhukov, Werning and Whinston (2020).

in the transmissibility of the coronavirus due to, for example, superspreader events, non-mandatory mask wearing, or hygiene and ventilation. The second shock captures exogenous variation in mobility resulting from shifts in economic activity, transportation conditions, or risk perception. The third shock reflects the varying intensity of non-pharmaceutical interventions—closing of schools, workplaces, and public transportation as well as restrictions on public and private gatherings or outright stay at home orders—for erratic goals or beliefs of policy makers. Moreover, we identify two residual shocks using zero restrictions to sharpen inference on the main shocks of interest (Canova and Paustian, 2011) and provide additional interpretation. As we have both sign and exclusion restrictions, we apply the flexible approach of Arias, Rubio-Ramírez and Waggoner (2018) for implementation.

We quantify the causal dynamic effects of the structural shocks. The impulse responses to an incidence shock offer a measure of a ‘Covid-19 wave’ as there is no consensus among policy makers and researchers about this concept. The responses to a policy shock allow for gauging the effectiveness of non-pharmaceutical interventions and the average delay before they affect cases and deaths, which is of prime policy importance. Moreover, we compute variance and historical decompositions to understand the main drivers of the pandemic and to quantify the importance of policy interventions for economic and health outcomes. Finally, the empirical model provides a consistent estimate of an important policy tradeoff during the pandemic: the conflict between flattening the epidemic curve (reducing morbidity and mortality) and maintaining economic mobility.

We find that the three shocks of main interest all have significant and long-lasting effects but that their importance differs drastically. An incidence shock of one standard deviation raises the number of infections and fatalities by more than 15% and lasts for two months. Economic mobility remains depressed during this time and troughs at -5%. Policy makers respond swiftly on average and implement non-pharmaceutical containment measures within a week. Mobility shocks also increase the number of cases and fatalities, but the effects are small compared to incidence shocks. Finally, an average containment shock reduces mobility by 12% after one week and mortality by 30% after six weeks. These results are robust to a large number of sensitivity tests. We change the sample, lag length,

identification strategy, variable definition, among others, and correct for testing capacities, information effects, and trends.

Forecast error variance decompositions suggest that, at short horizons, incidence shocks are the main driver of cases and that policy shocks are the dominant source of variation in mobility. At longer horizons, policy shocks explain more than one half of the variation in mobility, cases, and deaths. Mobility shocks play essentially no role for any of the variables, neither for short nor long horizons. Furthermore, a historical decomposition of the pandemic curve suggests that the flattening of Covid-19 mortality from mid-April to August 2020 is mostly and equally driven by restrictive policy shocks and negative incidence shocks. A similar decomposition of the concurrent worldwide decline in economic mobility indicates that this was mainly the result of tighter policy, although higher incidence rates and negative mobility shocks also played a role.

Finally, we compute a dynamic survival ratio that quantifies the policy tradeoff between flattening the epidemic curve and maintaining economic mobility. The estimate implies that a policy-induced reduction in economic mobility by an average of one percentage point per day over two full months lowers Covid-19 mortality by 9% at the end of this horizon.

Our paper relates to two strands in the economic literature on Covid-19. The first set of papers is empirical and focuses on selected aspects of the relations between Covid-19, economic activity, and health policy. For example, Baker, Bloom, Davis, Kost, Sammon and Viratyosin (2020) and Coibion, Gorodnichenko and Weber (2020a) assess the economic impact of Covid-19. The former authors focus on the U.S. stock market, while the later concentrate on labor market outcomes. Others study the effect of mobility on the spread of the disease (Harris, 2020; Kraemer et al., 2020; Coven et al., 2020). Of great interest is also the impact of containment and closure policies. Gupta, Simon and Wing (2020) find that stay at home orders lower mobility and Baek, McCrory, Messer and Mui (2020) show that they increase unemployment significantly. Coibion, Gorodnichenko and Weber (2020b) identify the causal effect of local lockdowns in the U.S. on households' spending and macroeconomic expectations.

The second set of papers studies the interactions between the pandemic, economic activ-

ity, and mitigation policy jointly by using theoretical (quantitative) macroeconomic models. Atkeson (2020) is among the first to relate the standard epidemiological susceptible-infected-recovered (SIR) model and the macro-economy, thus stressing the tradeoff that policy makers face between public health and economic objectives. Eichenbaum, Rebelo and Trabandt (2020) extend the SIR model by incorporating dynamic feedback between health and economic decisions and formalize this tradeoff. Glover, Heathcote, Krueger and Ríos-Rull (2020) and Acemoglu, Chernozhukov, Werning and Whinston (2020), among others, develop heterogeneous agent models and derive optimal mitigation policies that balance the costs and benefits of lockdowns for different age groups.

We contribute to the literature by estimating the dynamic causal effects between Covid-19, economic mobility, and containment policy in general equilibrium. We document three new stylized facts and quantify a main policy tradeoff of the pandemic. First, containment policy has a strong lever on the pandemic. Non-pharmaceutical interventions are important for understanding both short-run and long-run health and economic outcomes. Second, incidence shocks are especially relevant in the short-run. Third, exogenous variation in mobility is largely irrelevant for economic-epidemiological dynamics. Finally, the estimated survival ratio based on the responses to a containment policy shock suggests that to save 9% more lives from Covid-19 we need to sacrifice one percentage point of economic mobility per day for two months.

## 2 Empirical model and identification

### 2.1 The PVAR model and data

We use a panel vector autoregression (PVAR) model that includes the time series of epidemic and economic variables by country. Formally,  $N$  denotes the number of countries,  $K$  the number of country-specific variables,  $M$  the number of exogenous variables, and  $T$  the sample length. The reduced form representation of a stationary PVAR model for country

$i = 1, \dots, N$ , and day  $t = 1, \dots, T$  is

$$\mathbf{y}_{it} = \mathbf{C}_i + \sum_{l=1}^p \mathbf{A}_l \mathbf{y}_{it-l} + \mathbf{D} \mathbf{x}_t + \mathbf{u}_{it} \quad (1)$$

where  $\mathbf{y}_{it}$  contains  $K$  country-specific endogenous variables,  $\mathbf{y}_{it} = (y_{1,it}, \dots, y_{K,it})'$ ,  $\mathbf{C}_i$  is a  $K \times 1$ -dimensional matrix of country-specific fixed effects capturing country heterogeneity,  $\mathbf{A}_l$  is a  $K \times K$ -dimensional matrix of autoregressive parameters for lag  $l = 1, \dots, p$ ,  $\mathbf{D}$  is a  $K \times M$ -dimensional matrix of parameters, and  $\mathbf{x}_t$  is a  $M \times 1$ -dimensional matrix of exogenous variables. The  $K \times 1$ -dimensional vector  $\mathbf{u}_{it} = (u_{1,it}, \dots, u_{K,it})'$  denotes the country-specific reduced form error terms.

The short duration of the pandemic, from an econometric perspective, raises two main challenges for estimating model (1). First, it essentially precludes using monthly or quarterly data as the number of time-series observations would be too low. Second, sole time-variation in pandemic and economic data might not be sufficient to estimate pandemic trends as the evolution of Covid-19 without intervention in countries that did intervene is unknown. To address these challenges, we use daily data and collect them for a large number of countries. This frequency provides sufficient observations to estimate the dynamic relationships in (1) over long horizons and the panel dimension adds cross-sectional information to determine average trends. Moreover, except for the country-specific constants, we assume homogeneous coefficients. In the sensitivity analysis, we show that the results hold in various subgroups of countries.

For each country, we use the following variables in  $\mathbf{y}_{it}$ : cumulated Covid-19 deaths, cumulated Covid-19 cases, an economic mobility index, a containment policy index, and a stock price index for listed small companies. All variables enter the model in log levels, except for the mobility index, which is already expressed in percentage points and enters in level. The sample period is 2019-12-31 to 2020-8-17. The starting point corresponds to the first official Covid-19 case in China. The sample includes all calendar days to maximize the number of observations as all variables, bar stock prices, are available at this frequency. We linearly interpolate the latter. To control for uneven reporting and changing mobility patterns over the week, we add weekday dummies as exogenous variables to the model.

The panel comprises 44 countries, including the U.S., the largest European economies, Japan, as well as India and Brazil. The set is determined by the joint availability of data for the endogenous variables. The countries account for 81% of global Covid-19 cases and deaths as well as 72% of world GDP. Appendix A contains a full list of the countries and further details on the variables and sources.

Given that we have 220 observations per country and 9680 observations overall, we set the lag length to  $p = 14$  (two weeks) for two reasons, although conventional information criteria suggest shorter lags. First, we are interested in deriving predictions for macroeconomically relevant horizons such as 2-3 months. This implies computing impulse response functions over 60-90 periods, which are typically more reliable with a larger number of lags. Second, we want to capture the medium-run fluctuations (relative to the sample size) in the data, that is, longer lasting deviations from trends. In the sensitivity analysis, we show that the results are robust to including a linear or quadratic trend as well as to changing the lag length (to 7- or 21-day lags). In all cases, the VAR process is stable. The eigenvalues of the companion matrix lie inside the unit circle.

The choice of the endogenous variables is guided by several considerations. The first four variables are the focus of the paper as they are of primary policy concern. The two clinical measures reflect mortality and morbidity, thus reflecting the timing and severity of the pandemic. Moreover, these are the only health data for Covid-19 that are consistently available across countries at a daily frequency.

Given this frequency, the mobility index is an approximation of economic activity. Fernández-Villaverde and Jones (2020) show that there is a close relationship between mobility and GDP or unemployment. Analyzing mobility is also inherently interesting as, for example, Kraemer et al. (2020) or Harris (2020) suggest that mobility is an important transmission channel of the virus. We use data provided by Google that count the number of visits at different places and compare that to a baseline (median weekday for the period 03-01-2020 to 06-02-2020). The indices are anonymized and aggregated location histories of cellphones with Android system whose users opted-in to this option via their Google accounts. To obtain an economic mobility index, we compute an unweighted average of the

mobility indices for transit stations (subway, bus, and train), retail & recreation (restaurants, shopping centers, movies, among others) and workplaces, as these are most closely related to economic activity. We smooth the index with a 7-day trailing moving average to further account for weekend patterns.

The policy index measures the stringency of non-pharmaceutical interventions. We use indices from the Oxford Covid-19 Government Response Tracker of containment and closure policies. Specifically, we compute an unweighted average of the indices for school closing, workplace closing, canceling of public events, restrictions on private gatherings, closing of public transport, stay at home requirements, and restrictions on internal movement. The indices have an ordinal scale between 0 (no measure) and 2, 3 or 4 (stricter measures). We standardize the ordinal indices before averaging. We exclude the index for international travel controls because it includes screening on airports, which introduces endogeneity as more testing mechanically raises the number of cases. We show that the results are robust to including this index into the aggregate index and to including the number of total tests into the model to account for varying testing capacities.

We use aggregated mobility and policy indices as we are interested in the big picture at a national level without distinguishing between alternative types of mobility or containment policy. Such an analysis would also raise difficult estimation and identification challenges, which are beyond the scope of the paper. Finally, we include the MSCI small cap index to measure expectations about local health and economic conditions. The stock prices are mainly included to help identification, which we describe next.

## 2.2 Identification of the structural PVAR model

For  $N$  countries, the model in equation (1) can be written in compact form as

$$\mathbf{Y}_t = \mathbf{A}\mathbf{X}_t + \mathbf{U}_t \tag{2}$$

where  $\mathbf{Y}_t$  is a  $K \times N$ -dimensional matrix of endogenous variables, with  $\mathbf{Y}_t = (\mathbf{y}_{1t}, \dots, \mathbf{y}_{Nt})$ ,  $\mathbf{A}$  a  $K \times (Kp + N + M)$ -dimensional matrix of parameters,  $\mathbf{A} = (\mathbf{A}_1, \dots, \mathbf{A}_p, \mathbf{C}_1, \dots, \mathbf{C}_N, \mathbf{D})$ , and  $\mathbf{X}_t$  a  $(Kp + N + M) \times N$ -dimensional matrix of lagged endogenous and exogenous vari-

ables,

$$\mathbf{X}_t = \begin{pmatrix} \mathbf{y}_{1t-1} & \cdots & \mathbf{y}_{Nt-1} \\ \vdots & \ddots & \vdots \\ \mathbf{y}_{1t-p} & \cdots & \mathbf{y}_{Nt-p} \\ \iota & \cdots & \iota \\ \mathbf{x}_t & \cdots & \mathbf{x}_t \end{pmatrix},$$

where  $\iota$  is a  $N \times 1$ -dimensional vector of ones. The reduced form error terms,  $\mathbf{U}_t = (\mathbf{u}_{1t}, \dots, \mathbf{u}_{Nt})$ , follow a multivariate normal distribution with zero mean and  $K \times K$ -dimensional covariance matrix  $\mathbb{E}(\mathbf{u}_{it}\mathbf{u}'_{it}) = \Sigma$  and  $\mathbb{E}(\mathbf{u}_{it}\mathbf{u}'_{jt}) = \mathbf{0}$ .

We can write the structural form of the model described in equation (2) as

$$\mathbf{B}_0 \mathbf{Y}_t = \mathbf{B} \mathbf{X}_t + \boldsymbol{\varepsilon}_t \quad (3)$$

where  $\mathbf{B}_0$  is a  $K \times K$ -dimensional matrix of structural contemporaneous relations,  $\mathbf{B}$  a  $K \times (Kp + N + M)$ -dimensional matrix of structural parameters, and  $\boldsymbol{\varepsilon}_t = (\boldsymbol{\varepsilon}_{1t}, \dots, \boldsymbol{\varepsilon}_{Nt})$  are structural shocks with  $\boldsymbol{\varepsilon}_{it} \sim \mathcal{N}(\mathbf{0}_{K \times 1}, \mathbf{I}_{K \times K})$ . It holds that  $\mathbf{U}_t = \mathbf{B}_0^{-1} \boldsymbol{\varepsilon}_t$ ,  $\Sigma = (\mathbf{B}_0 \mathbf{B}'_0)^{-1}$ , and  $\mathbf{A} = \mathbf{B}_0^{-1} \mathbf{B}$ .

To solve the identification problem that the structural parameters cannot be recovered from the reduced form without further assumptions, we impose zero and static sign restrictions on the impact matrix,  $\mathbf{B}_0^{-1}$ , and dynamic sign restrictions on the structural impulse responses. The focus of the paper are three types of structural shocks that we aim to disentangle: incidence, economic mobility, and containment policy shocks. Not only are these at the center of the academic and public debate, these are also likely the main drivers of the pandemic and economic mobility worldwide.

First, incidence shocks capture changes in the transmissibility of the virus unrelated to mobility and containment policy. We think of them as reflecting time-variation in voluntary human behavior and in the biological characteristics of the virus. The former could be super spreader events, non-mandatory mask wearing, hygiene (hand washing and surface disinfection), personal distance keeping, or ventilation. The latter could be a mutation of the virus and changes in its infectivity.

Second, economic mobility shocks record voluntary shifts in human behavior unrelated to mitigation policy or the pandemic. Generally, they reflect changes in net aggregate demand. Specifically, they can mirror both fiscal and monetary stimulus as well as variations in transportation costs, income, employment, the perceived risk of contracting the disease, and working from home.

Third, containment policy shocks reflect exogenous variation in non-pharmaceutical interventions. Technically, these are deviations from the average mitigation policy rule. Economically, they can be interpreted as erratic beliefs of policy makers about the pandemic or the economy, variation in the goals of policy makers, or changes in the institutional procedures for dealing with the pandemic; for example, varying degrees of coordination between local and federal authorities or between policy makers and administrative bodies.

To disentangle the three shocks, we use a minimal set of uncontroversial dynamic sign restrictions to give full voice to the data. We also use some zero restrictions, but only to pin-down the remaining two shocks that are not the focus of the paper. Nevertheless, identifying the latter sharpens inference on the three shocks of interest (Canova and Paustian, 2011) and labeling them helps to interpret the results. Table 1 shows the restrictions. A zero denotes an exclusion restriction; sign restrictions are given by a plus or minus; an asterisk represents an unrestricted element.

Horizon Shock	<i>Horizon 0</i>					<i>Horizon 7</i>				
	$\epsilon^L$	$\epsilon^I$	$\epsilon^M$	$\epsilon^P$	$\epsilon^N$	$\epsilon^L$	$\epsilon^I$	$\epsilon^M$	$\epsilon^P$	$\epsilon^N$
<u>Endogenous variable</u>										
Covid-19 deaths	+	0	0	0	0	*	*	*	*	*
Covid-19 cases	*	+	*	*	0	*	+	+	-	*
Economic mobility	*	*	+	*	0	*	-	+	-	*
Containment policy	*	*	*	+	0	*	+	+	+	*
Stock prices	*	-	*	*	+	*	-	*	*	*

**Table 1: Identifying sign and exclusion restrictions.** *Notes:* The table shows the zero and sign restrictions imposed on the structural impulse responses at horizon 0 (left panel) and horizon 7 (right panel) used to identify Covid-19 lethality shocks ( $\epsilon^L$ ), Covid-19 incidence shocks ( $\epsilon^I$ ), economic mobility shocks ( $\epsilon^M$ ), containment policy shocks ( $\epsilon^P$ ), and news shocks ( $\epsilon^N$ ). The shocks are in columns, the response of the endogenous variables is in rows. A zero denotes an exclusion restriction, sign restrictions are given by a plus or minus, and an asterisk represents an unrestricted element.

Regarding the three shocks of main interest, we impose dynamic sign restrictions at

horizon  $h = 7$ , that is, one week. They are summarized in the right panel of Table 1. We discuss the choice of this specific horizon in detail below. In general, the week accounts for a potentially sluggish response of some of the endogenous variables to some of the shocks. In the Online Appendix, we show that the results are insensitive to setting  $h = 14$ .

First, to identify incidence shocks ( $\epsilon^I$ ), we assume that they raise the number of cases, lower economic mobility and induce tighter policy. The positive response of the containment index captures the aim of policy makers and health administration authorities to mitigate the pandemic (if only weakly in some countries). The negative response of mobility reflects both voluntary and mandatory social distancing as cases rise and policy is tightened. Moreover, we assume that equity prices drop, as investors price the adverse economic consequences of an escalating pandemic. Second, we assume that positive mobility shocks ( $\epsilon^M$ ) raise the number of cases, due to more interpersonal contacts, and the containment index, as policy makers aim at mitigating the pandemic by reducing mobility and infections. Third, we impose that restrictive containment policy shocks ( $\epsilon^P$ ) lower mobility and infections since commuting and traveling as well as the number of interpersonal contacts falls when transportation, schools and work places are closed, public and private events are restricted, or shelter at home orders are issued.<sup>3</sup>

Different to the dynamic responses, the impact effects of these shocks are less clear. Regarding  $\epsilon^I$ -shocks, it is unclear whether policy and/ or mobility should be assumed to respond immediately. There are countries and times when policy indeed seemed to have responded to new cases on a daily basis. For example, during the initial phase of the pandemic in the U.S., there were daily press briefings and policy decisions in the afternoon that reflected the contemporaneous state of the pandemic and the economy. In other countries, like Germany, policy coordination between local and federal officials implied that containment decisions were taken rather on a weekly instead of a daily basis. Similarly, mobility might contemporaneously react to new cases, but this would probably imply a high degree of public awareness and quick private decisions. Moreover, if mobility is affected

---

<sup>3</sup>For mobility shocks, we do not specify a restriction on stock prices, which could increase if investors price the pick-up of economic mobility or decrease if they fear the associated policy tightening. Similarly, we do not assume a stock price response to policy shocks as it is unclear whether investors appreciate the associated decline in cases or dislike the negative impact of tighter policy on economic mobility.

mainly through policy responses to new cases, this would only show up in the following days. To reflect this uncertainty around the impact effects of incidence shocks, we impose only two signs at horizon 0. First, we maintain the normalization to look at positive shocks. Second, we assume that stock prices respond immediately.<sup>4</sup>

Regarding mobility shocks, the number of cases could rise contemporaneously if mobility also means more testing and, in extreme cases, additional immediate infections. However, due to incubation and reporting lags, it could also take several days before more contacts show up in new cases. Containment policy is unlikely to respond to mobility directly on a day-by-day basis and rather responds to the effect of mobility on cases. But a direct response to mobility cannot safely be ruled out as mobility is known to be a main transmission channel of the virus and, thus, closely watched by policy makers and health officials. Therefore, at horizon 0 we only normalize the shock to be positive.

For containment policy shocks, we follow the same route. We only impose a plus sign contemporaneously and leave the responses of cases and mobility unrestricted. On the one hand, it can be argued that policy affects reported cases only with a delay of several days because of incubation and testing lags. It takes time to contract the virus, develop symptoms, go to the doctor, and obtain the test result. On the other hand, some countries back-date cases to the infection day.

Moreover, anticipation could play a role. Typically, containment measures are discussed publicly before they are implemented. Hence, people could voluntarily change their behavior in anticipation of future policy changes such that reported cases and mobility move contemporaneously with the policy index. The literature on fiscal foresight shows that policy expectations can create non-fundamentalness (Leeper et al., 2013). But this literature also shows that including forward looking variables into the model solves this potential problem (Forni and Gambetti, 2010; Beetsma and Giuliadori, 2011). Therefore, we incorporate local stock prices that capture such expectations. Furthermore, we show in the Online Appendix that the results hold when using stock prices of large firms or

---

<sup>4</sup>By imposing the + upon impact, we essentially identify incidence shocks measured through testing and reflected in cases, and not incidence shocks in the clinical sense as the actual transmission of the virus from one person to another. However, the restriction implied by the inequality is actually not particularly strict in practice as very small (positive) coefficients are allowed.

when adding the two-year government bond yield to incorporate further forward looking information into the model.

Summarizing, we neither assume nor preclude a recursive structure between cases, mobility, and policy to give as much voice to the data as possible. Moreover, as we impose the sign restrictions (except for the normalizations) only at  $h = 7$ , we are also largely agnostic about the signs of the impact effects.<sup>5</sup> All in all, however, we are not really interested in qualitative results but in quantifying the size and the persistence of the effects.

To identify the two residual shocks, we use timing restrictions. For the first shock, we set all elements of row one of  $\mathbf{B}_0^{-1}$  except for the first element to zero. This uniquely identifies the first column. The zeros reflect the delayed response of deaths to the other variables. In particular, there is a lag between incidence shocks and fatalities due to the incubation time (about 5 days) and the duration of the disease (between weeks and months) before death. As mobility and containment shocks affect fatalities through cases, they have at least the same delayed effect on deaths as incidence shocks. Moreover, deaths are unlikely to respond to daily changes in stock prices. We label the shock identified in the first column a lethality shock ( $\epsilon^L$ ). It reflects a time-varying case-fatality ratio, given that it captures changes in deaths net of incidence shocks. We interpret the shock as capturing overwhelmed health systems, supply shortages of medical equipment, shortages of personnel or, inversely, medical progress and learning about the treatment of Covid-19 patients.

Finally, we identify a generic news shock ( $\epsilon^N$ ) by setting the contemporaneous responses of all variables except stock prices to the shock to zero. These restrictions uniquely identify the last column of  $\mathbf{B}_0^{-1}$  and follow the standard approach in the literature on news-driven business cycles (Beaudry and Portier, 2014). *A priori*, we do not specify the nature of the news although we expect that it will be mostly related to the pandemic, which is the main theme in financial markets in the sample (Baker et al., 2020). After estimation, we can inspect the signs of the dynamic responses for  $h > 0$  to attach more interpretation. If the signs correspond to any of the other sign patterns, this shock likely reflect news about that

---

<sup>5</sup>The diagonal elements, which we restrict on impact and on  $h = 7$ , are not restricted for  $h = 1, \dots, 6$ . Essentially, the responses could also be negative or zero for these horizons, but this is not a pattern we observe in our results.

other shock. However, the news shock could also be a mixture of anticipated other shocks, in which case the responses would be insignificant. In any case, in the sensitivity analysis, we show that the main results do not depend on these zero restrictions.

### 2.3 Bayesian estimation and inference

To implement these restrictions, let  $\mathbf{L} = (L_0, L_7)'$  denote the matrix collecting the restricted impulse responses.<sup>6</sup> The matrix  $S_j$  collects all sign and  $Z_j$  all exclusion restrictions for the  $j^{\text{th}}$  structural shock. The number of rows in  $S_j$  and  $Z_j$  equals the respective number of restrictions and the number of columns the number of rows in  $\mathbf{L}$ . The matrices select an element that is restricted by having one non-zero element in each row (either one for imposing positive signs or zeros, or minus one for imposing negative signs). The restrictions are satisfied for  $j = 1, \dots, K$  if the following holds:

$$S_j \mathbf{L} e_j > 0 \quad \text{and} \quad Z_j \mathbf{L} e_j = 0 \quad (4)$$

where  $e_j$  denotes a column vector of zeros and one in row  $j$ .

To simplify sampling, we follow Arias et al. (2018) and work on the orthogonal reduced form representation of the model. The lack of identification without sign restrictions implies that two sets of structural parameters,  $(\mathbf{B}_0, \mathbf{B})$  and  $(\mathbf{B}_0^*, \mathbf{B}^*)$ , can have the same reduced form representation. The two sets of parameters are only observationally equivalent, thus implying the same reduced form parameters, if and only if  $\mathbf{B}_0 = \mathbf{B}_0^* \mathbf{Q}$  and  $\mathbf{B} = \mathbf{B}^* \mathbf{Q}$  where  $\mathbf{Q}$  is an orthogonal matrix with  $\mathbf{Q} \mathbf{Q}' = \mathbf{I}$ . This implies that we can write the model as

$$\mathbf{Y}_t = \mathbf{A} \mathbf{X}_t + \text{chol}(\boldsymbol{\Sigma}) \mathbf{Q} \boldsymbol{\varepsilon}_t. \quad (5)$$

Then, we obtain the parameters of the structural form as a combination of the reduced form parameters and the orthogonal matrix  $\mathbf{Q}$  as  $\mathbf{B}_0 = \text{chol}(\boldsymbol{\Sigma})^{-1} \mathbf{Q}^{-1}$  and  $\mathbf{B} = \mathbf{B}_0 \mathbf{A}$ .

We use a standard inverse Wishart prior for  $\boldsymbol{\Sigma}$  and a normal prior for  $\mathbf{A}$ . The prior

---

<sup>6</sup>The impulse response functions are calculated as  $L_h = (J \mathbf{A}_h^+ J') \mathbf{B}_0^{-1}$ , for  $h = 0, \dots, H$ .  $\mathbf{A}^+$  denotes the companion matrix of the reduced form model and  $J = (\mathbf{I}_{K \times K}, \mathbf{0}_{K \times K(p-1)})$ . For a detailed description of the calculation see Kilian and Lütkepohl (2017).

distribution over  $\mathbf{Q}|\mathbf{A}, \Sigma$  is uniform. These prior distributions imply that draws from the orthogonal reduced form representation come from an agnostic prior conditional on the zero restrictions and that the structural parameters follow a normal-generalized-normal distribution if the importance sampler proposed by Arias et al. (2018) is used.<sup>7</sup> We target 1000 accepted draws for inference. The results are virtually the same for 10000 draws.

### 3 Disentangling pandemic, mobility, and policy shocks

This section contains the core results, which are organized as follows. First, we present the estimated impulse responses to determine the significance and persistence of the effects. Then, we quantify the dynamic policy tradeoff between flattening the epidemic and attenuating the recession curve. Finally, we compute the average and historical importance of the shocks using forecast error variance and historical decompositions.

#### 3.1 Dynamic effects and policy tradeoff

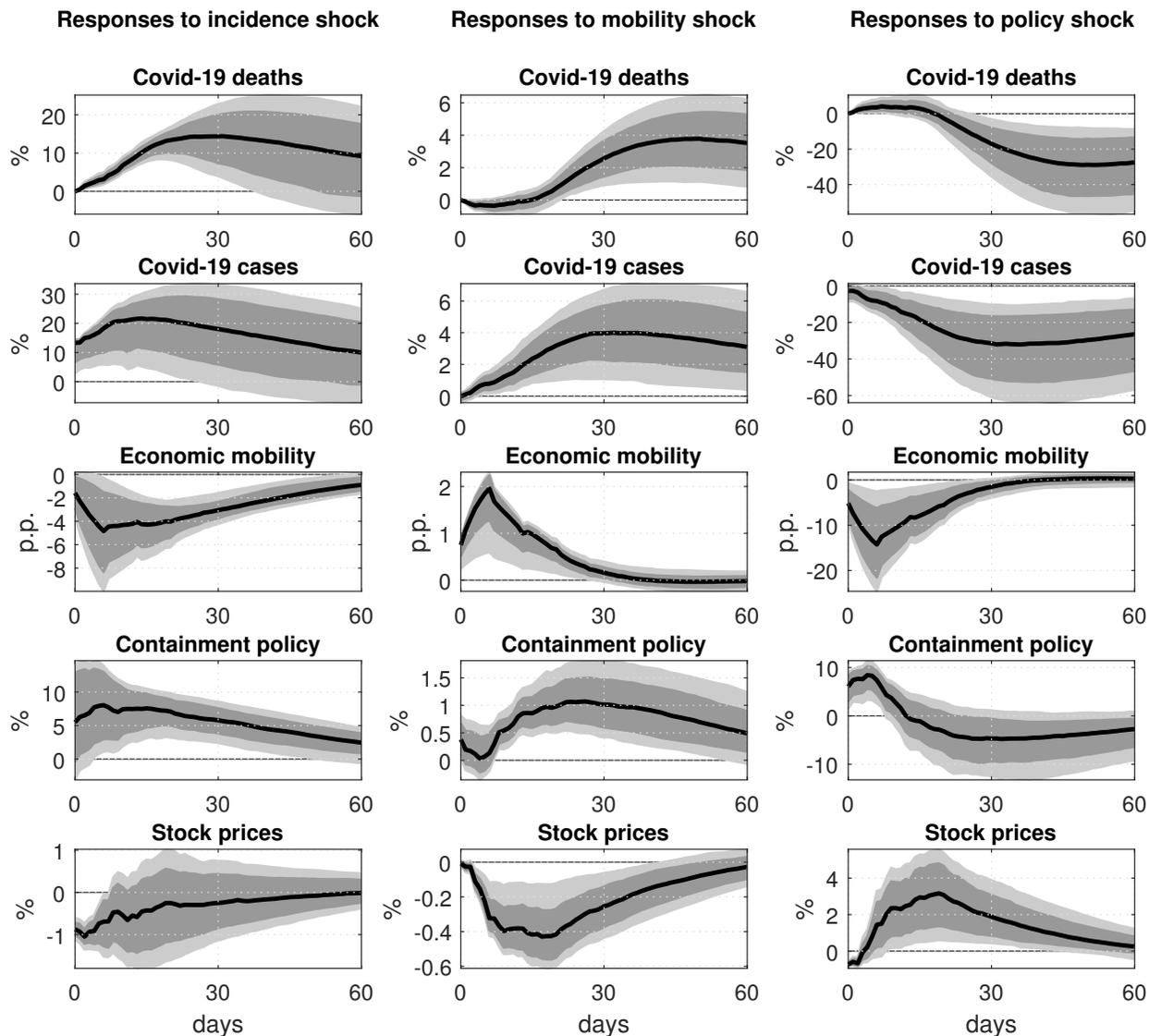
Figure 1 summarizes the responses to the three structural shocks of main interest. We show positive shocks of size one standard deviation. The solid lines are the median estimates. The dark and light shaded areas denote 68% and 90% credible sets, respectively. The first column contains the effects of an incidence shock. The number of infected persons increases significantly by 12% upon impact. It rises to 22% in a hump-shaped manner for about two weeks. Then, it gradually converges back to trend, which it has not yet reached after two months. The effect is significant for at least one month, depending on the criterion used. Mortality increases significantly and persistently. The peak effect is 15% and occurs 2-3 weeks after that of cases, measuring the average duration of fatal disease processes.

The responses of cases and deaths offer a measure of a ‘Covid-19 wave’. This term features prominently in the public debate but possesses little conceptual or empirical foundation. Our estimates suggest that the typical size of such a wave is an increase of cases

---

<sup>7</sup>The steps of the importance sampler and details on the prior and posterior distributions are given in Appendix B. For a more detailed description, we refer the reader to Arias et al. (2018).

and deaths by about one fifth above trend. The average duration of a wave is 3 months, with elevated cases in month 1 and 2 and more deaths in month 2 and 3.



**Figure 1: The dynamic effects of incidence, economic mobility and containment policy shocks.** *Notes:* The figure shows the median response (solid lines) of the endogenous variables to an incidence shock (first column), a mobility shock (middle column), and a containment policy shock (right column) over 60 days, along with 68% and 90% credible sets (dark and light shaded areas, respectively). The shocks are normalized to be positive and have size of one standard deviation.

Economic mobility falls immediately but significantly only after a few days. It troughs at  $-4$  percentage points (p.p.) after a week and then slowly converges to the level where it would have been without the shock. It remains significantly depressed for two months. Policy becomes substantially more restrictive. The index jumps by 5% and increases further

up to 8%. It remains significantly elevated for nearly the full horizon of 60 days, in lockstep with cases. The policy response suggests that public authorities respond quickly to new infections and mirror them closely before deciding to ease. Equity prices drop by 1% and remain below trend for one month, but the effect is significant only for the first week.

The middle column reports the responses to a mobility shock. Economic mobility increases upon impact by 1 p.p, rises further up to nearly 2 p.p., but then relatively quickly converges back to its initial level, which it reaches after one month. The number at peak implies that 2 p.p. more cellphones are recorded at workplaces, transit stations, and shops than at trend. Despite the short duration of elevated mobility, cases rise significantly for more than 30 days, eventually decaying. As before, the number of deaths mirrors the dynamics of cases with some delay and a bit more muted. Policy makers seem not to respond to economic mobility directly or, at least, it takes them about a week, but then they tighten policy significantly and persistently in parallel with the rise in infections. Finally, equity prices drop, probably due to increasing cases. Taken together, while short-lasting mobility shocks increase Covid-19 morbidity and mortality persistently, the effects are small (only about 4%) compared to those of incidence shocks (15-20%). This suggests a minor role for mobility as an exogenous driver of the pandemic.

The right column presents the responses to a containment policy shock. The policy index increases by 8%. This corresponds to moving, for example, from no stay at home order to requiring people not to leave their house with exceptions for daily exercise, grocery shopping, and essential trips; or alternatively to going from no workplace closing to shutting down (or work from home) some sectors or categories of workers. The policy index falls back to zero after 12 days. Exogenous variation in mitigation policy is less persistent than the endogenous response to cases (compare to first column). Despite the short duration of tighter policy, the effect on morbidity and mortality is strong and long-lived. Cases fall by up to 34% after one month and fatalities by 30% another three weeks later. Both variables remain significantly below trend for the entire horizon of two months. This also rationalizes the drop of the policy index slightly below trend after two weeks. Economic mobility also falls drastically with a trough of -15% and for a full month. Stock prices drop initially but

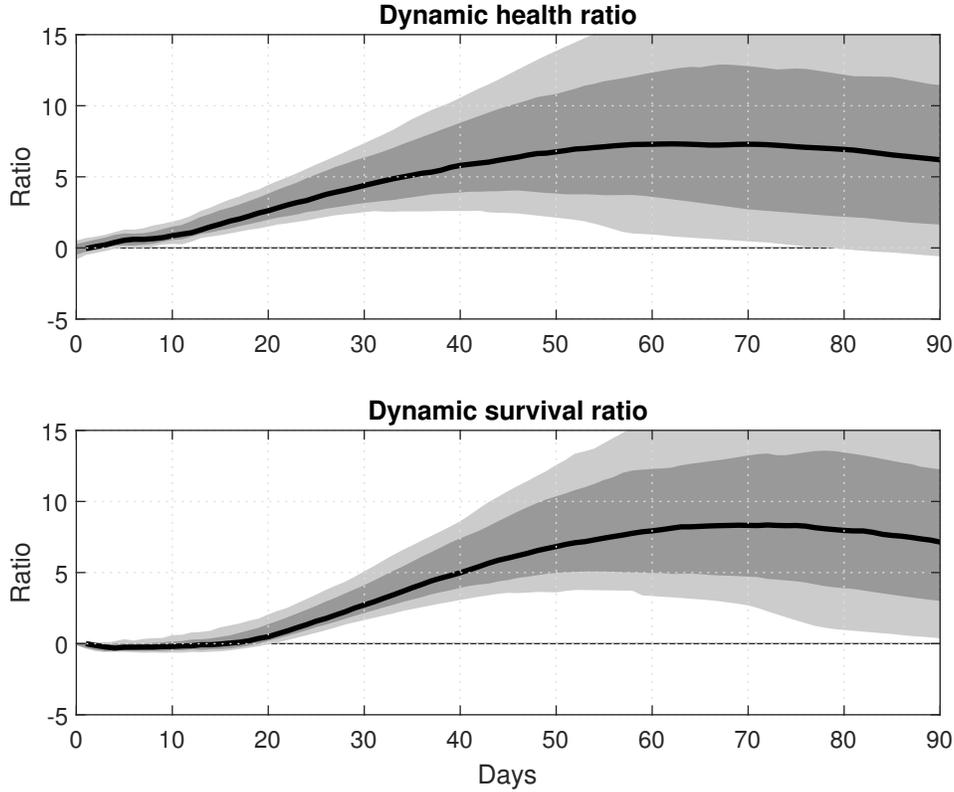
the losses are soon reversed, probably because investors appreciate the lower cases.

The dynamics of cases, deaths, and mobility following the containment policy shock allows deriving consistent measures of the implied policy tradeoffs between aggregate health and economic mobility. We define a dynamic health ratio and a dynamic survival ratio. They are the percentage decline in cases and deaths, respectively, measured by the impulse response of cases or deaths at horizon  $h$ , relative to the economic mobility loss during the same time, measured as the average response of economic mobility over horizon  $1, \dots, h$ . We use the average mobility loss to account for the phase shifts between mobility, on the one hand, and morbidity and mortality, on the other hand.

Figure 2 shows the evolution of the ratios over 90 days. The top panel shows the health ratio. It suggests that the rapid fall in economic mobility following the containment shock pays off significantly already within a week. After about one month, the ratio implies that, on average, for each percentage point of foregone daily mobility over this time horizon, there are 5% fewer cases. The tradeoff is most favorable after two months, with the ratio peaking at 7%. Thereafter, it falls back to zero gradually.

The bottom panel shows the dynamic survival ratio. Here, it takes roughly three weeks, according to the 90% credible set, before lower economic mobility is rewarded with fewer deaths from Covid-19. After two months, the survival ratio is 7% and it peaks at 9% at horizon 72. After three months, the non-pharmaceutical interventions imply that for each percentage point loss of daily mobility during that time, mortality from Covid-19 is 8% lower. For the interpretation of these numbers, it is important to bear in mind that the loss in economic mobility occurs every day (on average). Thus, the cumulative loss is substantially higher, 27 p.p. after two months.

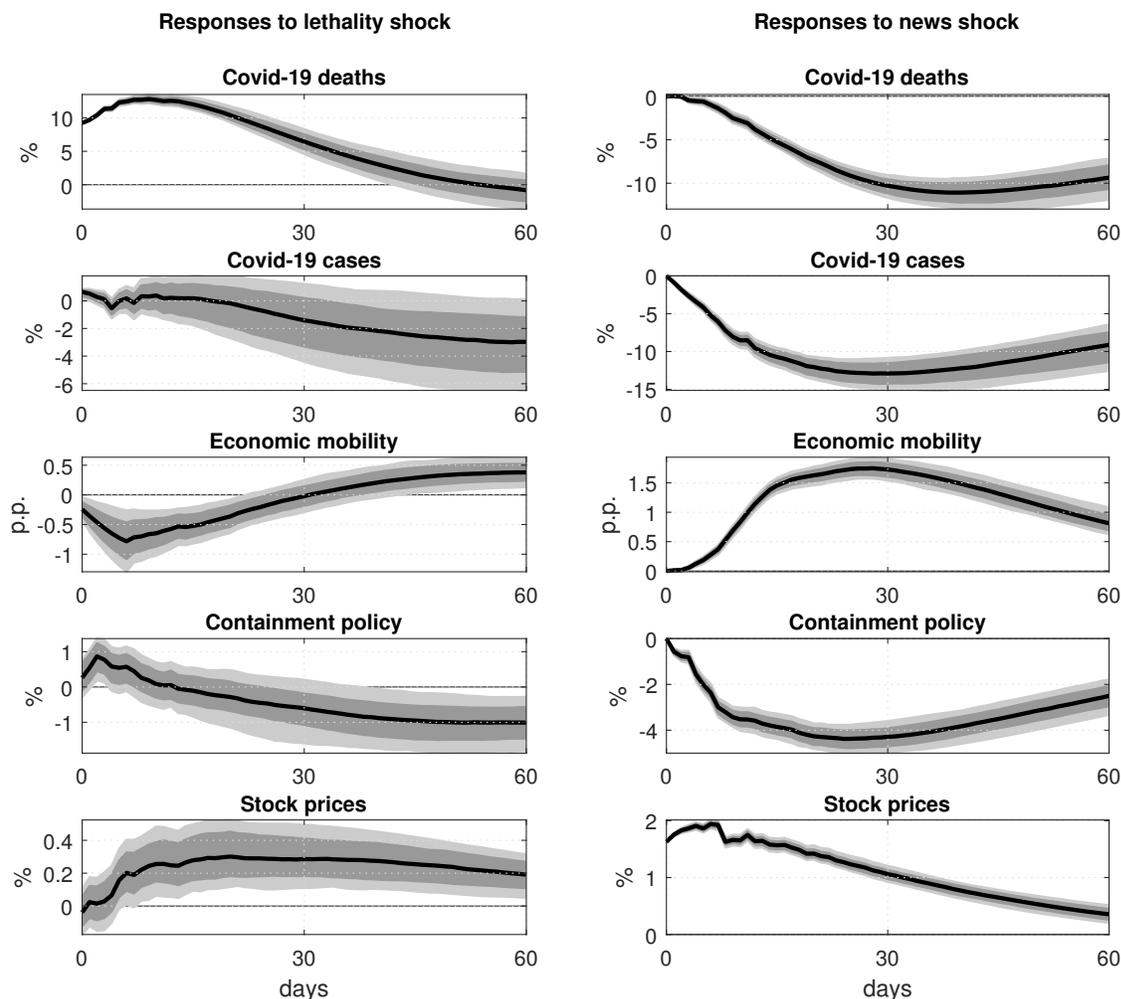
As the final step in the impulse response analysis, we look at the two residual shocks. The left column of Figure 3 shows the effects of a lethality shock. By construction, all variables are allowed to respond contemporaneously. Mortality increases by nearly 10% upon impact. It keeps on rising for two weeks and then returns to trend, which it has reached after two months. The strong persistence suggests that it typically takes a long time to dissolve medical supply shortages. Economic mobility falls significantly for 30 days,



**Figure 2: Dynamic health and survival ratio.** *Notes:* The figure shows the median estimate of the health ratio in the upper panel and of the survival ratio in lower panel (solid lines) following a restrictive containment policy shocks over 90 days, along with 68% and 90% credible sets (dark and light shaded areas, respectively). The ratios measure the reduction in Covid-19 cases or mortality per foregone economic mobility. They are defined as the percentage decline in cases and deaths, respectively, measured by the impulse response of that variable at horizon  $h$ , relative to the mobility loss during the same time, measured as the average response of economic mobility over horizon  $1, \dots, h$ .

consistent with a higher risk perception and more voluntary social distancing when people see dramatic pictures of overwhelmed health systems, as in Bergamo, New York, Madrid, or Sao Paolo. Policy also responds quickly to the reassessment of the threat by tightening. In line with the decline in mobility and more restrictive policy, infections slowly decrease and fall below trend after two weeks and through the end of the horizon. Finally, stock prices increase significantly for nearly two months, indicating a focus of investors on the falling infections.

The right column of Figure 3 shows the responses to a news shock. The effects are precisely estimated due to the four zeros in the last column of the impact matrix, which indicates that these restrictions also help tightening inference on the other shocks. Stock prices jump up as they price the news immediately by assumption. They remain above



**Figure 3: The dynamic effects of lethality and news shocks.** *Notes:* The figure shows the median response (solid lines) of the endogenous variables to a lethality shock (left column) and to a news shock (right column) over 60 days, along with 68% and 90% credible sets (dark and light shaded areas, respectively). The shocks are normalized to be positive and have size of one standard deviation.

trend for two months. After a few days, cases and deaths fall significantly, economic mobility increases, and containment policy becomes less restrictive. The responses suggest a clear interpretation of the type of news reaching the market. The signs correspond to an expected negative incidence shock. This shock could reflect an anticipated flattening of the epidemic curve due to public insights into the transmission of the virus that help containing it in the future.

The signs rule out a negative containment policy news shock or a positive (in the mathematical sense) lethality news shock because those two would increase cases (and lower stock prices). The signs also preclude an expected positive mobility shock because that

would increase cases and the policy index. The interpretation as an anticipated negative incidence shock is also supported by the sensitivity analysis. There, we show that when removing the zero restrictions on the middle three elements in the last column, the incidence news shock is mixed with the incidence shock, while the other shocks are largely unaffected.

### 3.2 Average drivers of the pandemic

We now inspect the relevance of the structural shocks for explaining epidemic-economic dynamics. To quantify their average importance in the sample, we compute forecast error variance decompositions. They measure the percentage contribution of each shock to the variance of the endogenous variables. Table 2 shows the decomposition for horizons  $h = 1, 14, 30, 60, 200$ , where the last value is used to approximate the long-run variance. The endogenous variables are in rows and the shocks are in columns.

The impact decomposition shows how important it is to avoid a recursive structure between cases and policy. These variables show strong contemporaneous links. Containment policy is equally driven by incidence and own shocks. Moreover, 20% of the variation in cases driven by policy shocks. Another insight from the contemporaneous contributions is that infections and mitigation policy can largely be treated as exogenous with respect to economic mobility shocks, which explain less than 2% of policy and essentially none of the case variability.

Reversely, variation in economic mobility is primarily determined by policy interventions (76%) at horizon 1. This figure implies that mandated social distancing has a strong – by far the largest – effect on mobility. Incidence shocks account for most of the remaining variability in mobility (17%). In contrast, mobility shocks account only for 6%. These numbers reflect the small increase in mobility in response to own shocks (only 2 p.p. at peak) and suggest that people do not change their mobility behavior much without strong reasons. In other words, the pandemic and the non-pharmaceutical interventions strongly dominate other drivers of mobility in our sample. These findings indicate a more limited role for voluntary social distancing than in Gupta et al. (2020) who find for the U.S. that a substantial share of the decline in mobility during the pandemic was a private response.

Shock	$\epsilon^L$	$\epsilon^I$	$\epsilon^M$	$\epsilon^P$	$\epsilon^N$
<i>Horizon 1</i>					
Covid-19 deaths	100.00	0.00	0.00	0.00	0.00
Covid-19 cases	0.23	79.81	0.23	19.73	0.00
Economic mobility	0.41	17.36	5.85	76.37	0.00
Containment policy	0.19	46.01	1.44	52.36	0.00
Stock prices	0.23	19.34	0.00	13.25	67.18
<i>Horizon 14</i>					
Covid-19 deaths	74.74	14.16	0.08	8.55	2.46
Covid-19 cases	0.14	61.02	0.38	29.09	9.37
Economic mobility	0.49	20.83	3.67	74.44	0.57
Containment policy	0.29	49.89	0.38	41.91	7.53
Stock prices	0.73	11.25	1.45	39.95	46.61
<i>Horizon 30</i>					
Covid-19 deaths	36.98	32.46	0.42	18.89	11.25
Covid-19 cases	0.21	39.61	0.99	47.47	11.73
Economic mobility	0.42	26.12	2.54	67.96	2.95
Containment policy	0.37	50.79	0.85	34.53	13.47
Stock prices	1.06	8.91	1.93	54.43	33.67
<i>Horizon 60</i>					
Covid-19 deaths	10.86	23.04	1.44	52.37	12.29
Covid-19 cases	0.57	28.83	1.37	57.74	11.49
Economic mobility	0.53	28.18	2.15	63.83	5.32
Containment policy	0.90	45.45	1.08	36.43	16.14
Stock prices	1.62	9.00	1.89	55.03	32.45
<i>Horizon 200</i>					
Covid-19 deaths	6.79	20.23	1.64	60.25	11.10
Covid-19 cases	1.06	25.97	1.45	60.58	10.94
Economic mobility	0.73	27.90	2.12	63.69	5.56
Containment policy	1.44	43.08	1.11	38.17	16.20
Stock prices	1.76	9.53	1.90	55.96	30.85

**Table 2: Forecast error variance decomposition.** *Notes:* The table shows the median forecast error variance decomposition of the endogenous variables (in rows) for the different type of shocks (in columns) for the horizons  $h = 1, 14, 30, 60, 200$ : Covid-19 lethality shocks ( $\epsilon^L$ ), Covid-19 incidence shocks ( $\epsilon^I$ ), economic mobility shocks ( $\epsilon^M$ ), containment policy shocks ( $\epsilon^P$ ) and news shocks ( $\epsilon^N$ ).

By construction, mortality responds only to lethality shocks at horizon 1. Stock prices are driven predominantly by news about infections and by actual incidence shocks (67% and 19%, respectively), consistent with the pandemic being an important factor for equity pricing (Baker et al., 2020), but also by policy shocks (13%).

At medium and longer horizons, the low explanatory power of mobility shocks for

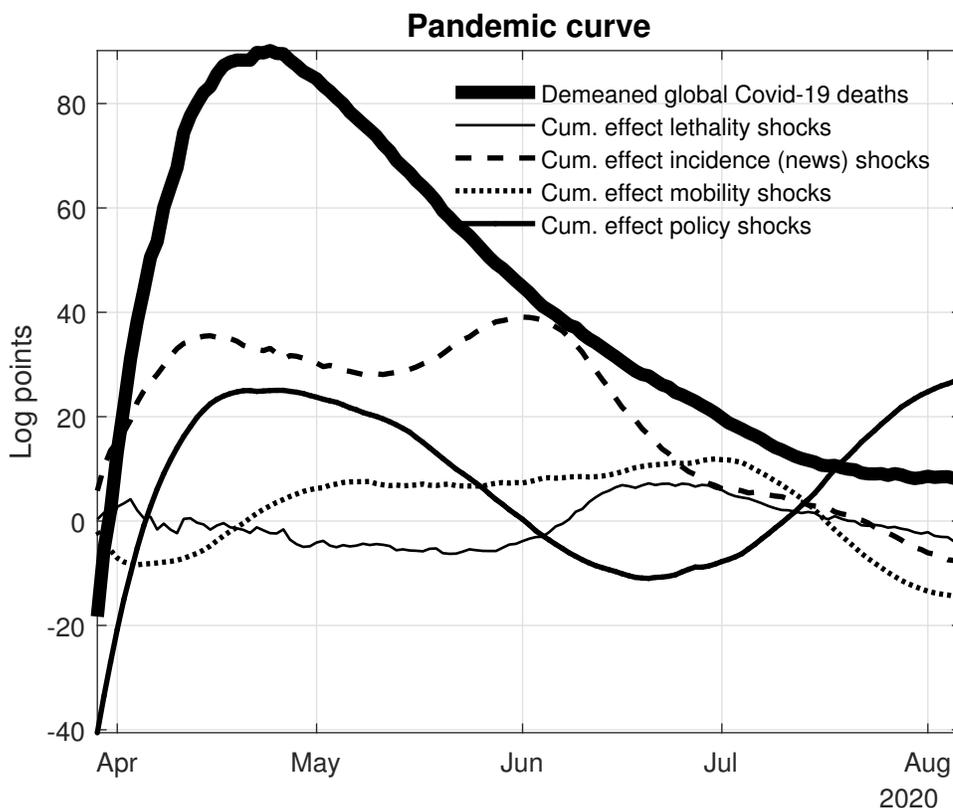
the variances of the other variables remains. Incidence shocks lose their importance for explaining cases, which are more and more driven by containment policy shocks. The contribution of policy shocks to case fluctuations increases to 30% at horizon 14 and to 61% in the long-run. Consistently, policy shocks also become more and more relevant for the variance of deaths. At  $h = 60$ , they already explain the largest share of this variance (52%). The portion increases further to 60% at  $h = 200$ . In contrast, lethality shocks explain only 7% of the variance of mortality at this horizon.

Summarizing, the results show two main drivers of the pandemic: incidence/news shocks and containment shocks. The former explain about one-third of the long-run variation in economic mobility, morbidity and mortality. The latter account for roughly 60%. The numbers indicate that non-pharmaceutical interventions have large effects on health and economic outcomes.

### 3.3 Decomposing the epidemic and recession curve

Now, we analyze which shocks flattened or steepened the pandemic curve and the recession curve by means of historical decompositions. For this, we compute the median contribution of each structural shock to the daily historically observed fluctuations of mortality and mobility for each country. Then, we average these estimates over countries to obtain an approximation of the global dynamics. We focus on Covid-19 deaths to capture the pandemic curve and on economic mobility to approximate the recession curve. Figure 4 shows the cumulative effect of the structural shocks on demeaned mortality in each point in time after mid March 2020. We discard the transients to ensure that the approximation error due to the truncation of the moving average representation has largely faded out.

The thickest line shows approximated global deaths in log points. There is a sharp increase by 110 points through the end of April 2020. Thereafter, mortality declines steadily. There are two factors that explain most of the curve. The first is incidence and news shocks, whose cumulative effects we add (dashed line). These shocks drive up fatalities by about 30 log points until mid April and keep them elevated until June. Subsequently, a series of negative shocks flattens the curve. The second main factor are containment policy

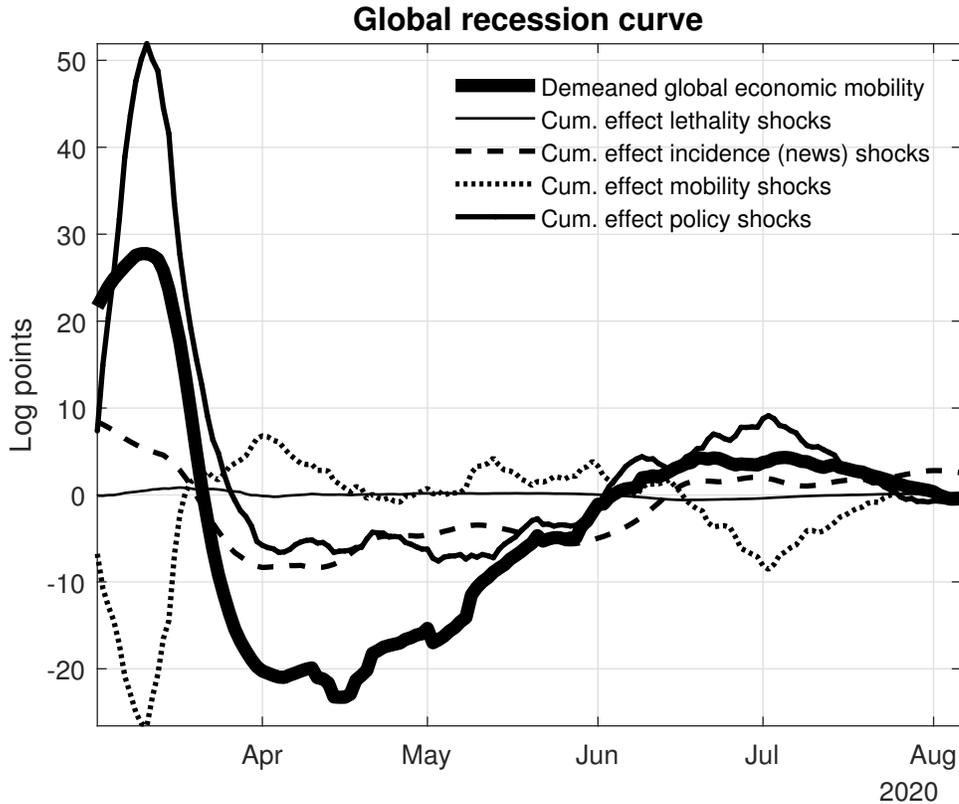


**Figure 4: Historical decomposition of global Covid-19 deaths.** *Notes:* The figure shows the change in approximated global Covid-19 deaths and the cumulative effects on these of lethality, incidence/news, mobility and containment policy shocks.

shocks (medium thick line). A lack of policy action in face of increasing infections, that is, a sequence of negative policy shocks, raises mortality by more than 60 log points initially. Thereafter, continuously restrictive containment policy shocks flatten the curve by nearly 50 log points. Toward the end of the sample, reopening policies raise mortality again. Exogenous reductions in economic mobility (dotted line) lowered mortality at the beginning of the sample, but positive mobility shocks drove up mortality from May onward as the global economy recovered. Finally, lethality shocks (thin line) play a minor role throughout.

Figure 5 shows the fitted value of global economic mobility (thick line) and its decomposition into the cumulative effects of the structural shocks. Mobility falls by 50 log points from mid-March to mid-April (thick line). Thereafter, it slowly recovers by June, before falling again as second and third waves cast their shadows on evermore countries. There are three main drivers of the recession curve. The most important driver is containment policy shocks (medium thick line). A sequence of negative containment policy shocks during the

early stages of the pandemic held up mobility, although cases were already steeply rising. On March 11, 2020, there is a sharp turning point, after which decisive non-pharmaceutical interventions in many countries succeeded in lowering mobility: By April it had decreased by more than 50 log points on average and remained low throughout May. From June onward, a relaxation of mandatory social distancing led to a recovery.



**Figure 5: Historical decomposition of global economic mobility.** *Notes:* The figure shows the change in approximated global mobility and the cumulative effects on it of lethality, incidence/news, mobility and containment policy shocks.

Incidence/news shocks (dashed line) and mobility shocks (dotted line) are the other two main drivers of global mobility. They are roughly equally important. Incidence/news shocks lower it by about 15 points at the beginning of the pandemic and raise it by 7 log points from June onward. Negative mobility shocks first deepen the recession by 25 points and then raise economic mobility by roughly the same amount. Due to the hump-shaped response of mobility to own shocks (Figure 1), there is a considerable lead of the shocks with respect to the index. We interpret the sequence of negative mobility shocks at the start of the pandemic as reflecting voluntary distancing because during this episode aggregate

net demand largely held up and energy prices—and hence transportation costs—actually fell. Finally, lethality shocks are irrelevant for understanding the recession curve (thin line).

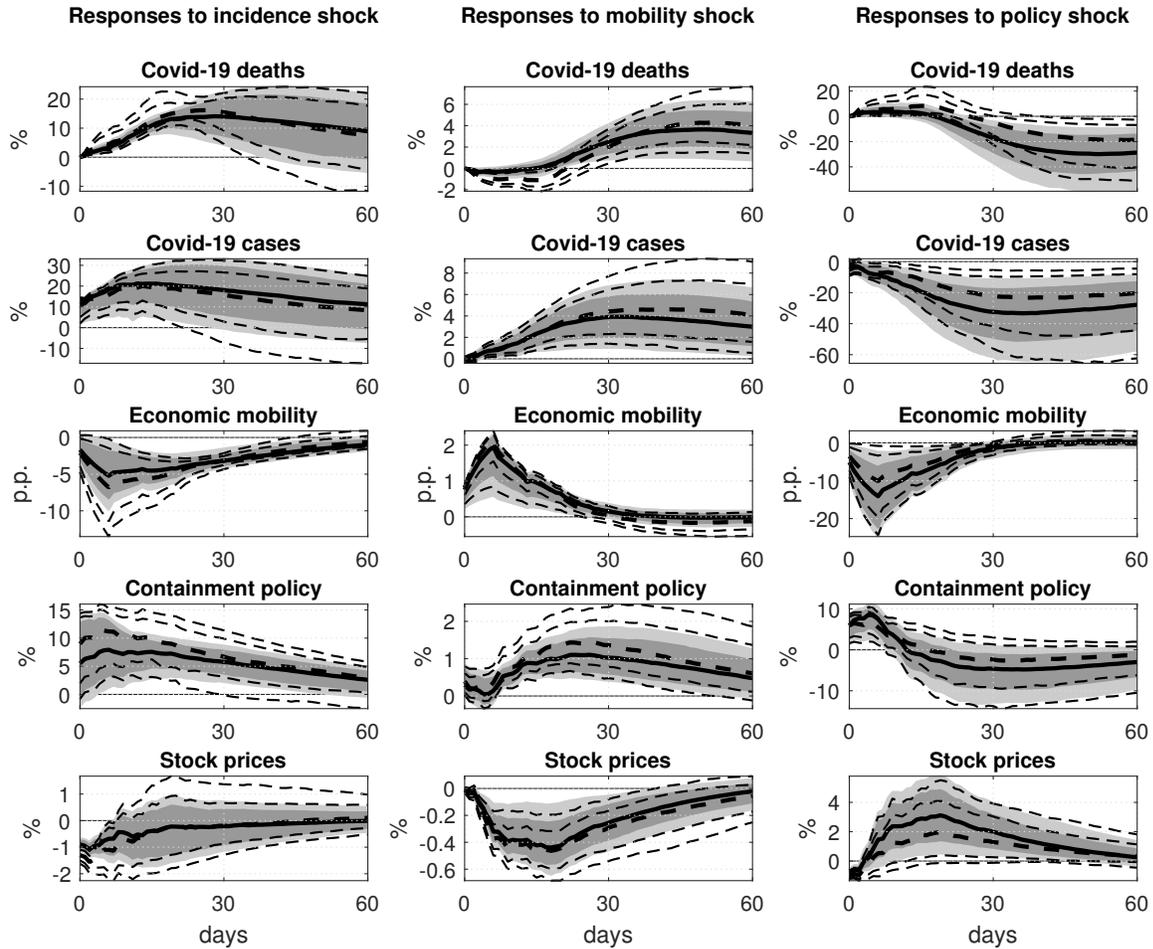
Summarizing, the historical decompositions paint a similar picture as the variance decompositions. The most important determinant of fluctuations in economic mobility and mortality are containment policy shocks. The lack of interventions first sustained economic mobility but raised the epidemic curve. Then, a sharp policy tightening flattened the pandemic curve but induced a steep mobility recession. Incidence/news shocks are the other main driver, while mobility shocks play a minor role except for a few instances.

## 4 Sensitivity analysis

In this section, we show that the main findings are robust to changes in the model specification and identification. We discuss the robustness by means of the responses to incidence, mobility, and containment policy shocks. Here, we focus on three sensitivity tests that we deem most important. In the first two, we change the reduced form model. In the third, we alter the identification. The Online Appendix contains further variations of the model and the identification strategy. There, we show that the results are robust to including a linear trend, the construction of the mobility and stringency index, the lag length, the exclusion of weekday dummies, using an alternative stock price index, including additional variables, such as 2-year government bond yields or the number of Covid-19 tests, using February 15, 2020, as an alternative starting date, and different horizons for the sign restrictions as well as without exclusions restrictions to identify the news shock.

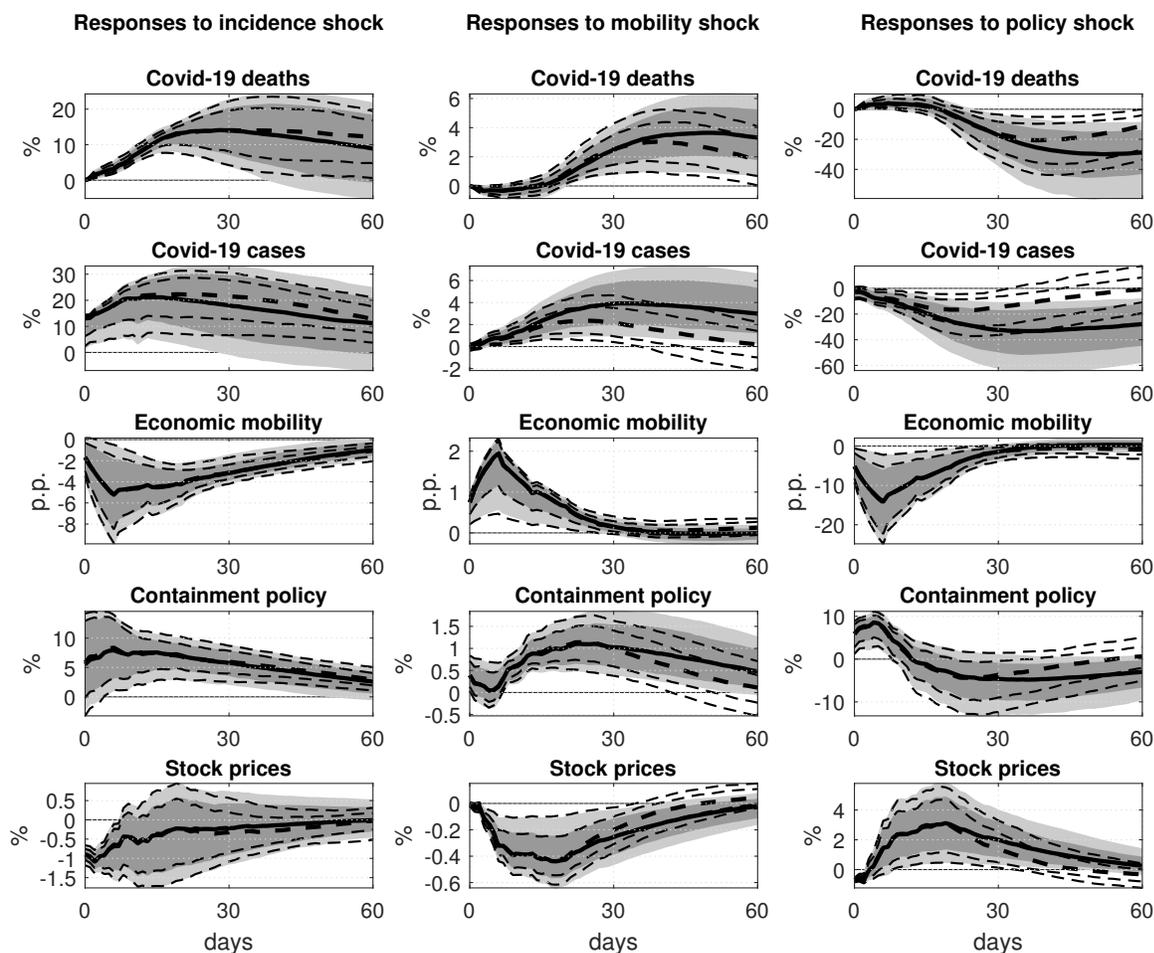
Here, we first estimate the PVAR on subsets of countries to see whether the assumption of homogeneous slope parameters affects the results. We randomly drawn a subset of 22 countries. Figure 6 shows the impulse responses for the baseline and the alternative sample. The solid lines and shaded areas depict the estimates of the benchmark specification. The dashed lines give the estimates based on the random subsample. The latter are close to the former. Some of the credible sets are wider compared to the baseline; for example, the sets for the number of cases, the containment policy, and the stock prices to an incidence shock or a mobility shock. This finding reflects that the number of countries and, hence,

observations is reduced by half, which increases the estimation uncertainty. We also split the countries into two subgroups based on their alphabetical order or by including every second country. The results are so similar that we do not report them.



**Figure 6: Effects of incidence, economic mobility, and containment policy shocks for a random subset of countries.** *Notes:* The figure shows the median response (solid lines for the full sample and bold dashed lines for a random sample of 22 countries) of the endogenous variables to an incidence shock (first column), a mobility shock (middle column), and a containment policy shock (right column) over 60 days, along with 68% and 90% credible sets (dark and light shaded areas/dashed lines, respectively). The shocks are normalized to be positive and to have a size of one standard deviation.

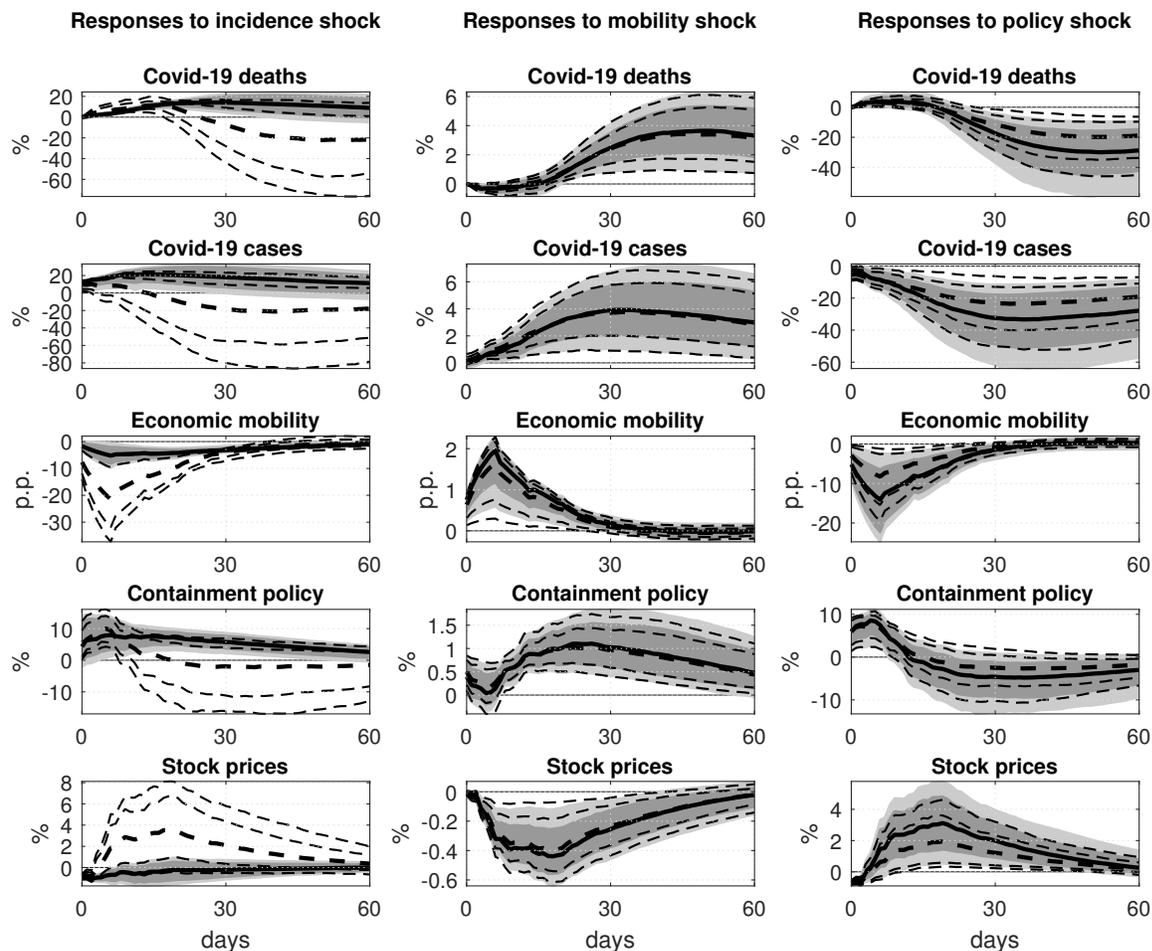
Second, we include a quadratic trend to allow for the possibility that even the high number of lags does not fully account for the secular movements in data, in particular in cases and deaths. We stress, however, that all countries in the sample are far away from their saturation point or herd immunity, which would induce decaying incidence rates even without voluntary distancing or policy interventions. The quadratic trend may also capture



**Figure 7: Effects of incidence, economic mobility and containment policy shocks with quadratic trend.** *Notes:* The figure shows the median response (solid lines for the benchmark model and bold dashed lines for the model with quadratic trend) of the endogenous variables to an incidence shock (first column), a mobility shock (middle column), and a containment policy shock (right column) over 60 days, along with 68% and 90% credible sets (dark and light shaded areas/dashed lines, respectively). The shocks are normalized to be positive and have size of one standard deviation.

slowly changing testing capacities. Figure 7 shows the results, again contrasting them with the baseline. In general, all variables react similarly in both specifications. Some responses, for example, to a mobility or containment policy shock, level off slightly faster as the trend removes some of the persistence in the data. This is most visible for cases, where the effects become insignificant after 30 days, compared to a still significant response after 60 days in the benchmark specification. The Online Appendix shows that the results are similar when including a linear trend.

Third, we change the horizon on which we impose the sign restrictions, shifting them



**Figure 8: Effects of incidence, economic mobility, and containment policy shocks with impact restrictions only.** *Notes:* The figure shows the median response (solid lines for the benchmark model and bold dashed lines for the model with sign restriction at horizon 0) of the endogenous variables to an incidence shock (first column), a mobility shock (middle column), and a containment policy shock (right column) over 60 days, along with 68% and 90% credible sets (dark and light shaded areas/dashed lines, respectively). The shocks are normalized to be positive and have size of one standard deviation.

from horizon 7 to 0, while retaining the exclusion restrictions (Table 1). Figure 8 shows the results. The responses to a mobility shock and containment policy shock are virtually identical to those of the main model. However, under the alternative identification, the responses to an incidence shock mimic the effects of the policy shock. In other words, these shocks cannot be properly disentangled, reflecting a general property of identification through sign restrictions that often yields uninformative results when the identifying assumptions are too weak (Kilian and Lütkepohl, 2017; Antolín-Díaz and Rubio-Ramírez, 2018). At the other end, when we set the sign restrictions on horizon 10 or 14 instead of

7, thereby restricting the responses more, the credible sets are much tighter (see Online Appendix). Finally, restricting the responses more than in the baseline by setting all sign restrictions on both horizons 0 and 7 does not alter the results (see Online Appendix).

## 5 Conclusions

We use a Bayesian panel model in form of a structural vector autoregression and daily data for 44 countries to study the impact of Covid-19, economic mobility, and containment policy shocks. We quantify the persistence of the structural shocks, their importance, and the policy tradeoff between aggregate health and economic activity consistently in one model. The countries in the data set cover 81% of global cases and fatalities due to Covid-19 and 72% of world GDP. Moreover, the high number of observations allows for overcoming the short sample problem and including many lags into the model to estimate the dynamics reliably at macroeconomically relevant horizons. We identify three structural shocks—incidence, mobility, and containment policy shocks—through a minimal set of uncontroversial dynamic sign restrictions.

The empirical framework provides a measure of a ‘Covid-19 wave,’ a prominent but elusive concept in the public debate. We document that an average incidence shock increases the number of infections significantly for two months and raises mortality by 15%. In contrast, a typical economic mobility shock, while also increasing infections, raises mortality only by 4%. Restrictive containment policy shocks have the strongest impact on mortality, lowering it by 20% on average across countries. Consistently, we document that non-pharmaceutical interventions are the most important driver of economic mobility, morbidity, and mortality. They explain about 60% of the long-run variance of these variables on average. Incidence/news shocks explain most of the remainder, while mobility shocks are unimportant. Furthermore, the results suggest that containment shocks are the dominant factor that flattened the pandemic curve in 2020 but that they are also the main source of the simultaneous drop in economic mobility. We quantify the implied tradeoff to guide future policy decisions. The estimates imply that reducing economic mobility by 1 p.p. on average over two full months through tighter policy lowers mortality by 9% at the

end of this period.

All in all, the results indicate that containment policy has a strong lever on both the pandemic and economic mobility. This, furthermore, suggests that different policy approaches to dealing with the global health crisis across countries can at least partially explain the diverse country experiences (Atkeson et al., 2020), that good policy is decisive for good health outcomes (Fernández-Villaverde and Jones, 2020), and that a large part of observed changes in economic mobility can be attributed to mandatory social distancing (Gupta et al., 2020).

## References

- Acemoglu, D., Chernozhukov, V., Werning, I., Whinston, M.D., 2020. Optimal targeted lockdowns in a multi-group SIR model. NBER Working Paper 27102.
- Antolín-Díaz, J., Rubio-Ramírez, J.F., 2018. Narrative sign restrictions for SVARs. *American Economic Review* 108, 2802–29.
- Arias, J.E., Rubio-Ramírez, J.F., Waggoner, D.F., 2018. Inference Based on Structural Vector Autoregressions Identified With Sign and Zero Restrictions: Theory and Applications. *Econometrica* 86, 685–720. doi:10.3982/ECTA14468.
- Atkeson, A., 2020. What Will Be the Economic Impact of Covid-19 in the US? Rough Estimates of Disease Scenarios. NBER Working Paper 26867.
- Atkeson, A., Kopecky, K.A., Zha, T.A., 2020. Four stylized facts about COVID-19. NBER Working Paper 27719.
- Baek, C., McCrory, P.B., Messer, T., Mui, P., 2020. Unemployment effects of stay-at-home orders: Evidence from high frequency claims data. *Review of Economics and Statistics* Forth.
- Baker, S.R., Bloom, N., Davis, S.J., Kost, K., Sammon, M., Viratyosin, T., 2020. The Unprecedented Stock Market Impact of Covid-19. NBER Working Paper 26945.
- Baumeister, C., Hamilton, J.D., 2015. Sign Restrictions, Structural Vector Autoregressions, and Useful Prior Information. *Econometrica* 83, 1963–1999. doi:https://doi.org/10.3982/ECTA12356.
- Baumeister, C., Hamilton, J.D., 2018. Inference in structural vector autoregressions when the identifying assumptions are not fully believed: Re-evaluating the role of monetary policy in economic fluctuations. *Journal of Monetary Economics* 100, 48 – 65. doi:https://doi.org/10.1016/j.jmoneco.2018.06.005.
- Baumeister, C., Hamilton, J.D., 2020. Drawing conclusions from structural vector autoregressions identified on the basis of sign restrictions. *Journal of International Money and Finance* 109, 102250. doi:https://doi.org/10.1016/j.jimonfin.2020.102250.

- Beaudry, P., Portier, F., 2014. News-driven Business Cycles: Insights and Challenges. *Journal of Economic Literature* 52, 993–1074.
- Beetsma, R., Giuliodori, M., 2011. The Effects of Government Purchases Shocks: Review and Estimates for the EU. *The Economic Journal* 121, F4–F32.
- Canova, F., Paustian, M., 2011. Business cycle measurement with some theory. *Journal of Monetary Economics* 58, 345–361.
- Coibion, O., Gorodnichenko, Y., Weber, M., 2020a. Labor Markets During the Covid-19 Crisis: A Preliminary View. University of Chicago, Becker Friedman Institute for Economics Working Paper 2020-41.
- Coibion, O., Gorodnichenko, Y., Weber, M., 2020b. The Cost of the COVID-19 Crisis: Lockdowns, Macroeconomic Expectations, and Consumer Spending. Chicago Booth Research Paper 2020-08.
- Coven, J., Gupta, A., Yao, I., 2020. Urban Flight Seeded the COVID-19 Pandemic Across the United States. Available at SSRN 3711737 .
- Eichenbaum, M., Rebelo, S.T., Trabandt, M., 2020. The Macroeconomics of Epidemics. CEPR Discussion Paper No. DP14520 .
- Fernández-Villaverde, J., Jones, C., 2020. Macroeconomic Outcomes and COVID-19: A Progress Report. *Brookings Papers on Economic Activity* .
- Forni, M., Gambetti, L., 2010. Fiscal Foresight and the Effects of Government Spending. CEPR Discussion Papers 7840.
- Glover, A., Heathcote, J., Krueger, D., Ríos-Rull, J.V., 2020. Health versus wealth: On the distributional effects of controlling a pandemic. NBER Working Paper 27046.
- Gupta, S., Simon, K., Wing, C., 2020. Mandated and voluntary social distancing during the covid-19 epidemic. *Brookings Papers on Economic Activity* 25.
- Harris, J.E., 2020. The subways seeded the massive coronavirus epidemic in New York city. NBER Working Paper 27021.
- Kilian, L., Lütkepohl, H., 2017. *Structural Vector Autoregressive Analysis. Themes in Modern Econometrics*, Cambridge University Press. doi:10.1017/9781108164818.
- Kraemer, M.U., Yang, C.H., Gutierrez, B., Wu, C.H., Klein, B., Pigott, D.M., Du Plessis, L., Faria, N.R., Li, R., Hanage, W.P., et al., 2020. The effect of human mobility and control measures on the COVID-19 epidemic in China. *Science* 368, 493–497.
- Leeper, E.M., Walker, T.B., Yang, S.S., 2013. Fiscal Foresight and Information Flows. *Econometrica* 81, 1115–1145.

# A Data

This appendix describes the data. All data refer to the calendar daily frequency and are downloaded through Macrobond. The countries in the analysis are Argentina, Australia, Austria, Belgium, Brazil, Canada, Chile, Colombia, Czech Republic, Denmark, Estonia, Finland, France, Germany, Greece, Hong Kong, Hungary, India, Indonesia, Ireland, Israel, Italy, Japan, Lithuania, Luxembourg, Mexico, Netherlands, New Zealand, Norway, Poland, Portugal, Russia, Saudi Arabia, Slovenia, South Korea, Spain, Sweden, Switzerland, Taiwan, Thailand, Turkey, United Arab Emirates, United Kingdom and United States.

Variable	Definition, transformation and original source
Covid-19 cumulative deaths	Coronavirus Disease (COVID-19) Pandemic, Total Deaths, Aggregate, Stock, World Health Organization, logarithm
Covid-19 cumulative cases	Coronavirus Disease (COVID-19) Pandemic, Confirmed Cases, Aggregate, Stock, Confirmed cases include both laboratory confirmed and clinically diagnosed cases, World Health Organization, logarithm
Economic mobility index	Unweighted average of economic activity related mobility indices. These show how visits and length of stay at different places change compared to a baseline. These changes are calculated using the same kind of aggregated and anonymized data used to show popular times for places in Google Maps. Changes for each day are compared to a baseline value for that day of the week. The baseline is the median value, for the corresponding day of the week, during the 5-week period Jan 3–Feb 6, 2020. The data start on February 15, 2020. We set earlier observations to zero in line with the baseline for computing the changes afterwards, source Google <i>Mobility, Workplaces</i> , Length of Stay, The Whole Country, Compared to Baseline. Mobility trends for places of work. 7-day trailing moving average <i>Mobility, Transit Stations</i> , Length of Stay, The Whole Country, Compared to Baseline. Mobility trends for places like public transport hubs such as subway, bus, and train stations. 7-day trailing moving average <i>Mobility, Retail &amp; Recreation</i> , Length of Stay, The Whole Country, Compared to Baseline. Mobility trends for places like restaurants, cafes, shopping centers, theme parks, museums, libraries, and movie theaters. 7-day trailing moving average
Containment policy index	Unweighted average of containment and closure policy indices of the Oxford COVID-19 Government Response Tracker, which systematically collects information on several different common policy responses that governments have taken to respond to the pandemic, source University of Oxford, logarithm. <i>Record closings of schools and universities</i> , Ordinal scale, 0 - No Measures 1 - Recommend Not Leaving House 2 - Require Not Leaving House with Exceptions for Daily Exercise, Grocery Shopping & Essential Trips 3 - Require Not Leaving House with Minimal Exceptions (E.G. Allowed to Leave Only Once Every Few Days, or Only One Person Can Leave at a Time) No Data - Blank, standardized <i>Record closings of workplaces</i> , Ordinal scale, 0 - no measures 1 - recommend closing (or recommend work from home) 2 - require closing (or work from home) for some sectors or categories of workers 3 - require closing (or work from home) for all-but-essential workplaces (eg grocery stores, doctors) Blank - no data, standardized <i>Record cancelling public events</i> , Ordinal scale, 0 - no measures 1 - recommend cancelling 2 - require cancelling Blank - no data, standardized <i>Record limits on private gatherings</i> , Ordinal scale, 0 - no restrictions 1 - restrictions on very large gatherings (the limit is above 1000 people) 2 - restrictions on gatherings between 101-1000 people 3 - restrictions on gatherings between 11-100 people 4 - restrictions on gatherings of 10 people or less Blank - no data, standardized <i>Record closing of public transport</i> , Ordinal scale, 0 - no measures 1 - recommend closing (or significantly reduce volume/route/means of transport available) 2 - require closing (or prohibit most citizens from using it) Blank - no data, standardized

*Record orders to shelter-in-place and otherwise confine to the home*, Ordinal scale, 0 - no measures 1 - recommend not leaving house 2 - require not leaving house with exceptions for daily exercise, grocery shopping, and 'essential' trips 3 - require not leaving house with minimal exceptions (eg allowed to leave once a week, or only one person can leave at a time, etc) Blank - no data, standardized

*Record restrictions on internal movement between cities/regions*, Ordinal scale, 0 - no measures 1 - recommend not to travel between regions/cities 2 - internal movement restrictions in place Blank - no data, standardized

Stock prices

Equity Indices, MSCI, Small Cap, Index, Total Return, Local Currency, source MSCI, logarithm

---

## B Algorithm

Stacking the model in equation (2) over  $T$  time periods gives

$$\mathbf{Y} = \mathbf{A}\mathbf{X} + \mathbf{U} \quad (6)$$

with  $\mathbf{Y} = (\mathbf{Y}_1, \dots, \mathbf{Y}_T)$ ,  $\mathbf{X} = (\mathbf{X}_1, \dots, \mathbf{X}_T)$  and  $\mathbf{U} = (\mathbf{U}_1, \dots, \mathbf{U}_T)$ . The posterior distribution of  $\Sigma$  is given by

$$\Sigma | \mathbf{Y} \sim \mathcal{IW}(\bar{S}, \bar{s}) \quad (7)$$

$$\bar{S} = S_0 + (\mathbf{Y} - \mathbf{A}\mathbf{X})(\mathbf{Y} - \mathbf{A}\mathbf{X})'$$

$$\bar{s} = NT + s_0$$

where the prior distributions is  $\Sigma \sim \mathcal{IW}(S_0, s_0)$ . The posterior of  $\mathbf{A}$  is normal:

$$\text{vec}(\mathbf{A}) | \Sigma, \mathbf{Y} \sim \mathcal{N}(\bar{\mu}, \bar{V}) \quad (8)$$

$$\bar{\mu} = \bar{V}^{-1} [(\mathbf{X} \otimes \Sigma^{-1}) \text{vec}(\mathbf{Y})]$$

$$\bar{V} = [V_0^{-1} + (\mathbf{X}\mathbf{X}' \otimes \Sigma^{-1})]^{-1}$$

with prior distribution  $\text{vec}(\mathbf{A}) \sim \mathcal{N}(\mathbf{0}_{K(Kp+N+M)}, V_0)$ . We chose the following prior parameters:  $S_0 = I$ ,  $s_0 = K$ , and  $V_0 = 10I$ .

To obtain draws from the structural PVAR model, we use the importance sampler of Arias et al. (2018). The algorithm has the following steps:

**Step 1** Draw  $\Sigma$  and  $\mathbf{A}$  from the posterior distributions given in equations (7) and (8).

**Step 2** Draw an orthogonal matrix  $\mathbf{Q}$  that satisfies the exclusion restrictions with the following steps for each  $j = 1, \dots, K$ :

**Step 2.1** Draw  $x_j$  from a standard normal distribution and set  $\tilde{x}_j = x_j / \|x_j\|$

**Step 2.2** Set  $q_j = K_j \tilde{x}_j$  where  $K_j$  is a matrix whose columns form an orthonormal basis of the null space of the matrix  $M_j = (q_1, \dots, q_{j-1}, Z_j \mathbf{L})'$ . Set  $\mathbf{Q} = (q_1, \dots, q_K)$ .

**Step 3** Calculate the structural parameters  $(\mathbf{B}_0, \mathbf{B})$  by  $\mathbf{B}_0 = (\text{chol}(\Sigma)\mathbf{Q})^{-1}$  and  $\mathbf{B} = \mathbf{B}_0\mathbf{A}$ . Re-calculate  $\mathbf{L}$  with  $L_0\mathbf{Q}$ .

**Step 4** If  $(\mathbf{B}_0, \mathbf{B})$  satisfy the sign restrictions  $S_j \mathbf{L} e_j > 0$  for  $j = 1, \dots, K$ , compute an importance weight,  $w$ , proportional to  $|\det(\mathbf{B}_0)|^{-(2K+Kp+M+1)} (\text{vol}(\mathbf{B}_0, \mathbf{B}))^{-1}$  where  $\text{vol}$  denotes the volume element conditional on the exclusion restrictions as specified in Arias et al. (2018). Otherwise, the weight is set to zero.

**Step 5** Repeat Step 1 to 4 until the required number of draws is obtained.

**Step 6** Re-sample with replacement the required number of draws using normalized importance weights by executing the following steps:

**Step 6.1** Calculate normalized importance sampler weights,  $\bar{w}$ , by

$$\begin{aligned} \tilde{w}_{iter} &= \min(w_{iter}, w_{\max}) \\ \bar{w}_{iter} &= \frac{\tilde{w}_{iter}}{\sum_{iter=1}^{N_a} \tilde{w}_{iter}} \end{aligned}$$

where  $iter = 1, \dots, N_a$  and  $N_a$  denotes the number of accepted draws. The value  $w_{\max}$  is the maximal weight value divided by a scalar  $\epsilon$ . The value of  $\epsilon$  is chosen such that the effective sample size,  $\left(\sum_{iter=1}^{N_a} w_{iter}\right)^2 / \sum_{iter=1}^{N_a} w_{iter}^2$ , as a share of all accepted draws,  $N_a$ , is around 0.7.

**Step 6.2** Based on  $\bar{w}$ , re-sample with replacement and calculate the impulse response functions for each draw based on  $\mathbf{B}, \mathbf{Q}$  and  $\Sigma$ .

The value of 0.7 for the effective sample size as a share of all accepted draws is based on the values provided by Arias et al. (2018) for their systems. To arrive at this share, we determine a maximal possible weight,  $w_{\max}$ , to ensure the stability of the sampler. Different values for the capping of the maximal weights as well as using no capping but a log transformation of the weights do not change our results. We provide further details regarding the posterior distributions of the contemporaneous relations in the baseline model and discuss which draws are affected by the capping in the Online Appendix.

Note that sampling  $\mathbf{Q}$  introduces a second source of randomness purely due to the random number generator as opposed to sampling uncertainty driven by the finite number of observations. The prior on  $\mathbf{Q}$  is not agnostic in all dimensions as shown by Baumeister and Hamilton (2015, 2018, 2020).